

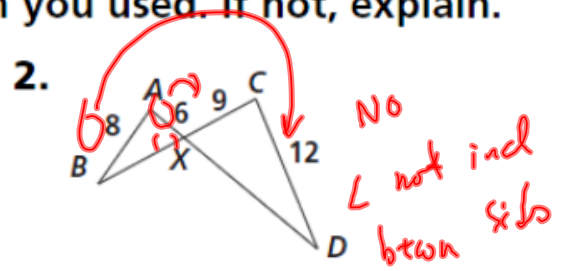
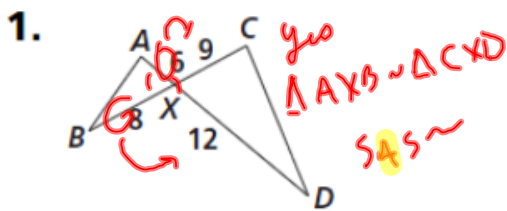


$$x^2 + y^2 + 2dx + 2ey + f = 0$$
$$(x, y) = F(x', y')$$
$$a = \pi r^2$$

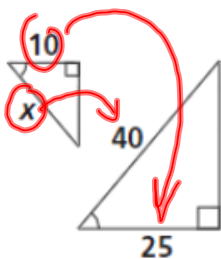
Good Morning!

Make sure ur rdy2go
when the bell rings!

Are the triangles similar? If so, write a similarity statement and name the postulate or theorem you used. If not, explain.



4. Find the value of x .



Handwritten calculations for problem 4:

$$\frac{10}{25} = \frac{x}{40}$$

$$400 = 25x$$

$$x = 16$$

$$\frac{x}{6} = \frac{93}{18}$$

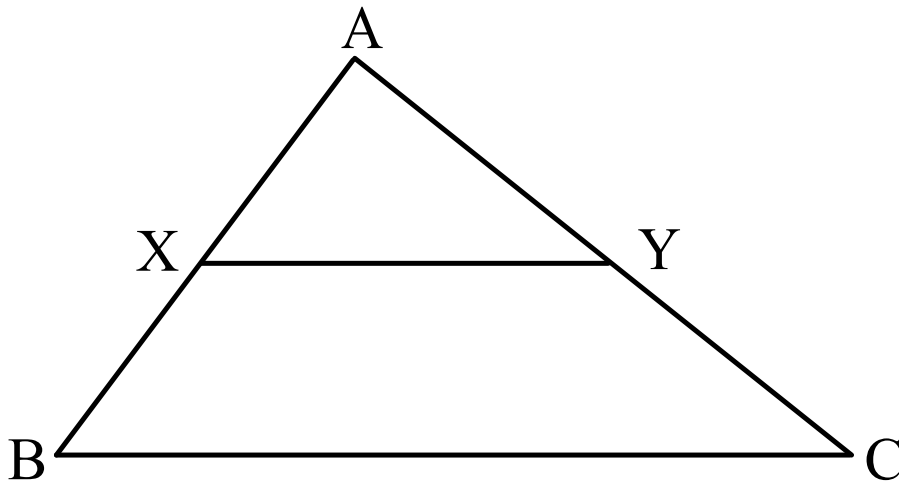
Other notes: "31 ft.", "16", "318", "93", "40", "25", "x", "10", "40", "25", "x", "16", "x/6 = 93/18".

5. When a 6 ft tall man casts a shadow 18 ft long, a nearby tree casts a shadow 93 ft long. How tall is the tree?



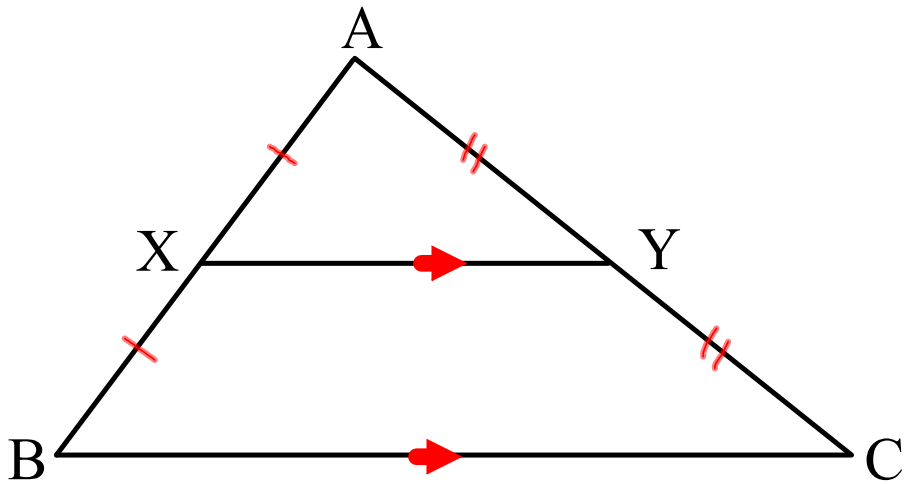
Proportions within Triangles

\overline{XY} is a midsegment of $\triangle ABC$...



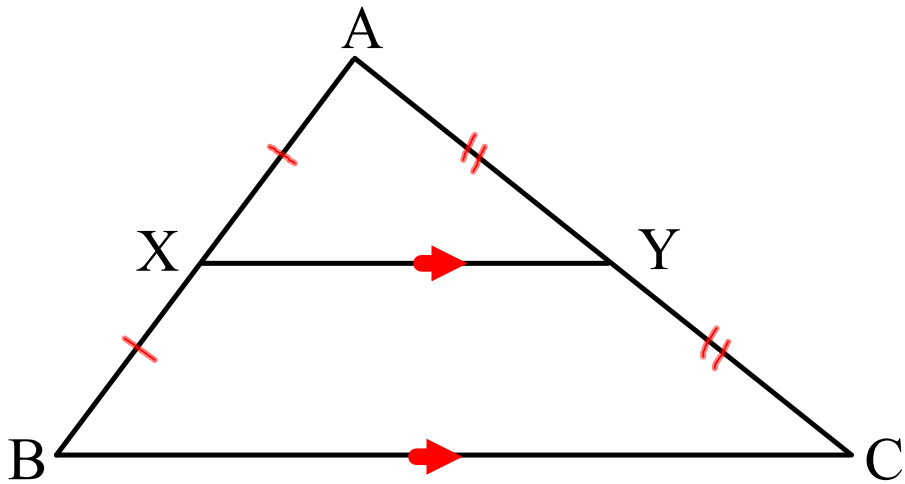
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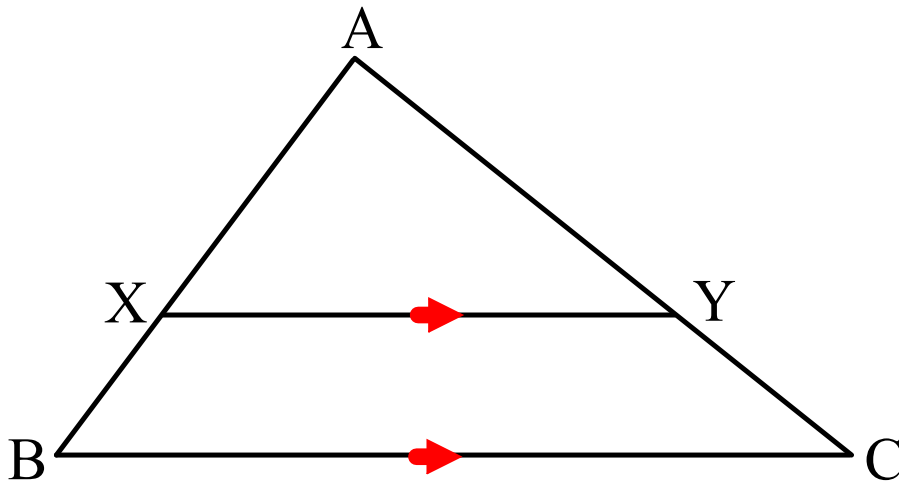
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What if \overline{XY} is \parallel but not a midsegment of $\triangle ABC$...



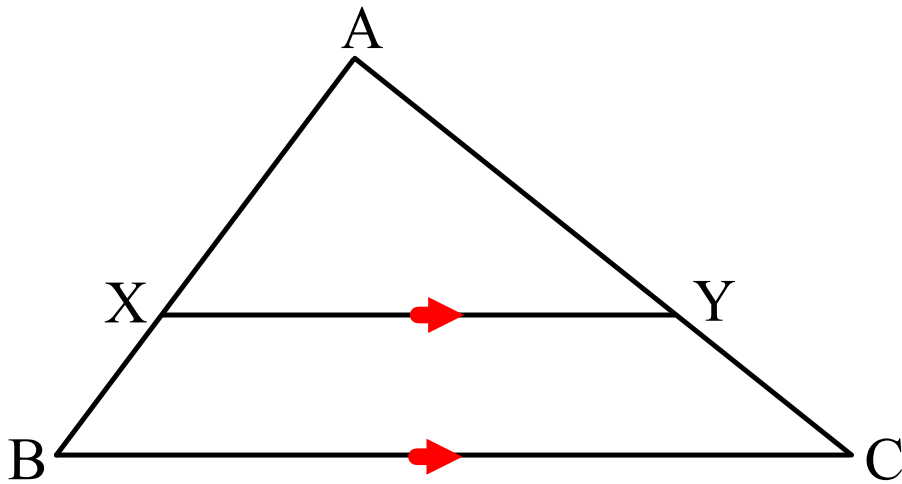
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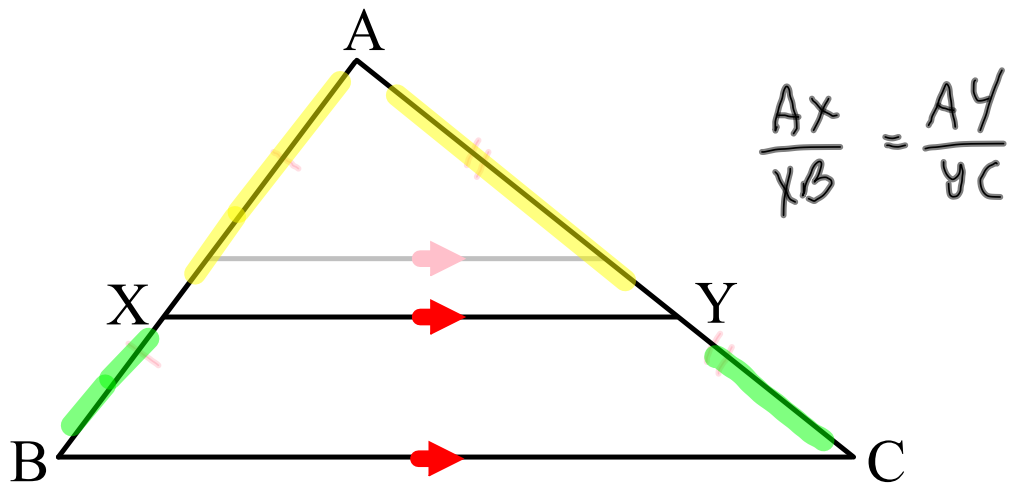
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How does \overline{XY} divide the sides of $\triangle ABC$?

Proportions within Triangles

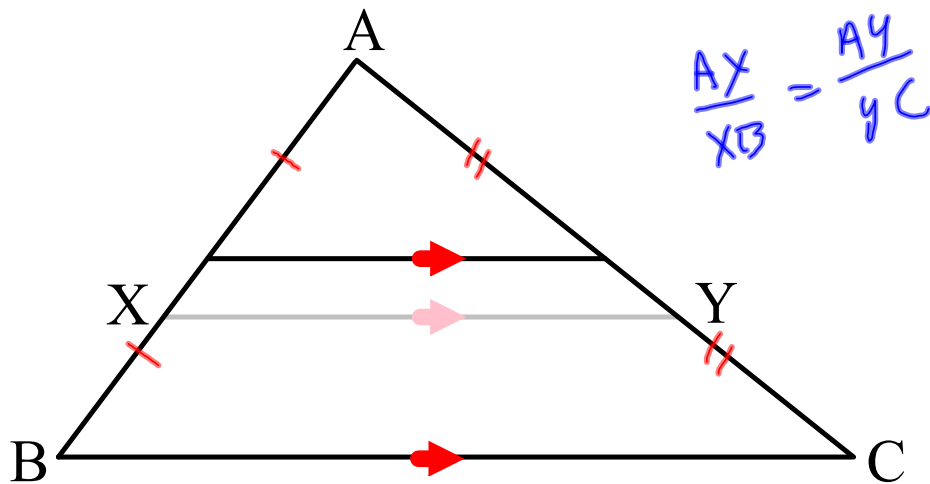
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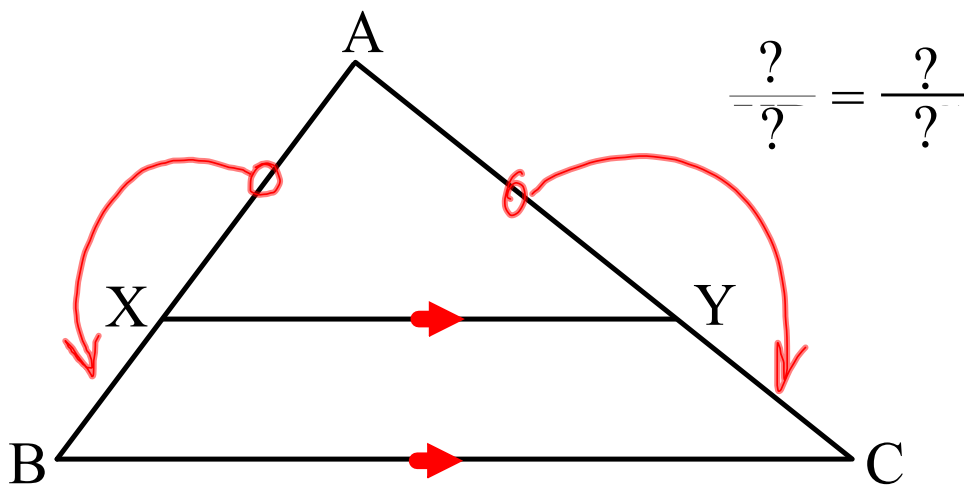
How does \overline{XY} divide the sides of $\triangle ABC$?

Theorem 8-4: Side-Splitter Theorem

If a line is \parallel to 1 side of a Δ and intersects the other 2 sides then it divides those sides proportionally.

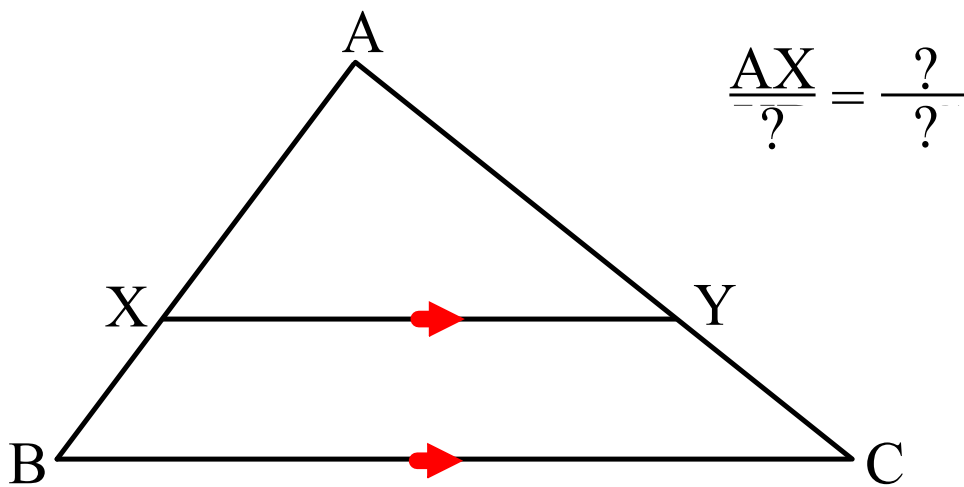
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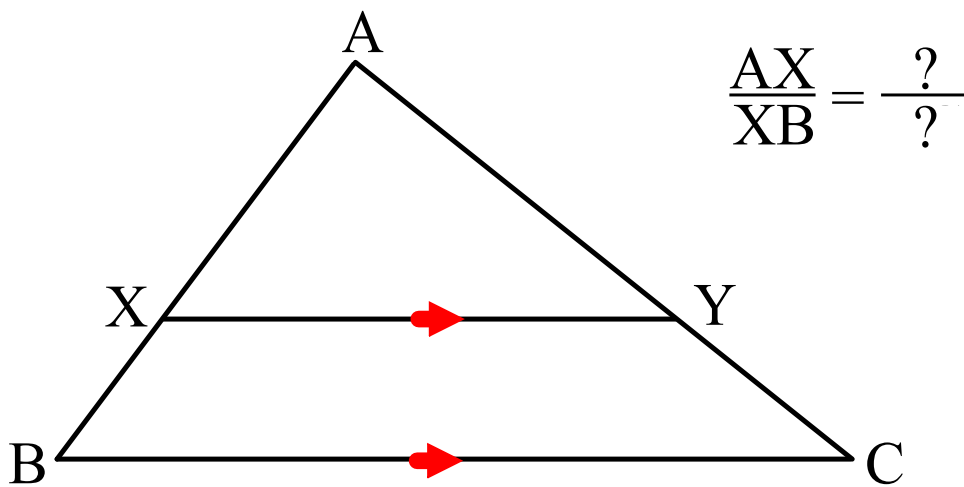
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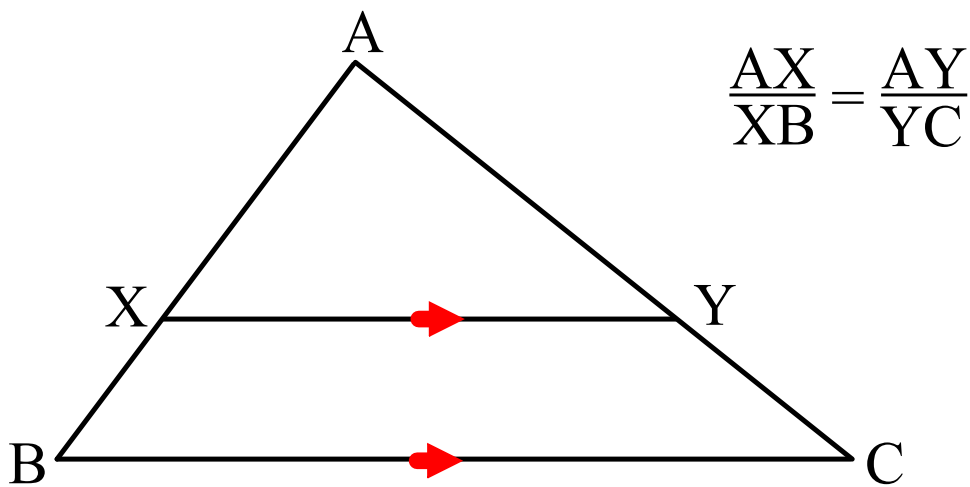
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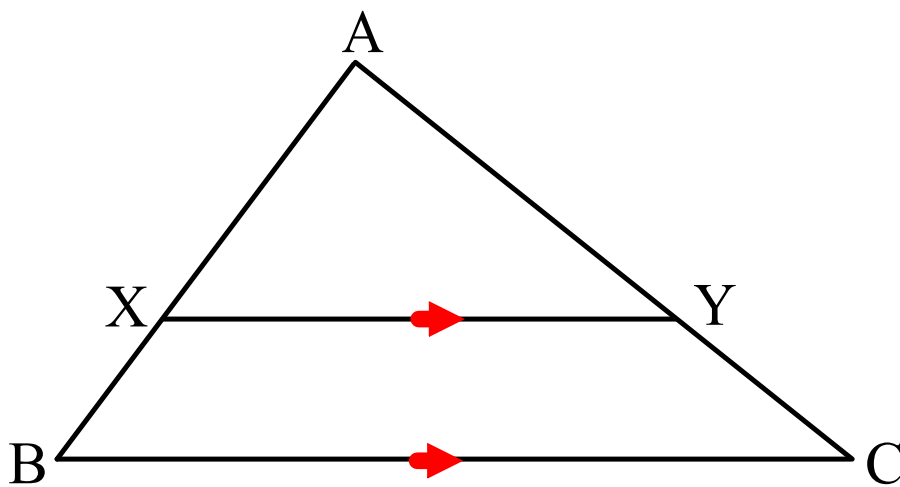


Theorem 8-4: Side-Splitter Theorem

...another way to look at the side-splitter thm...

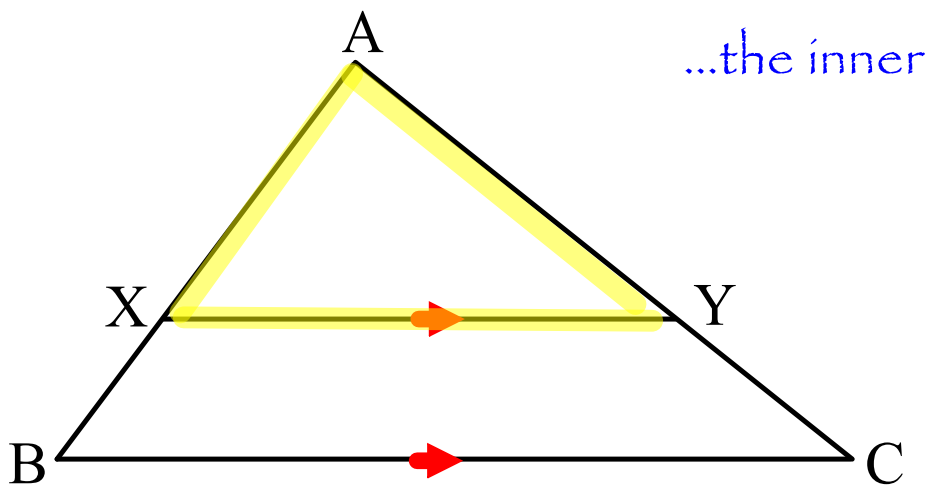
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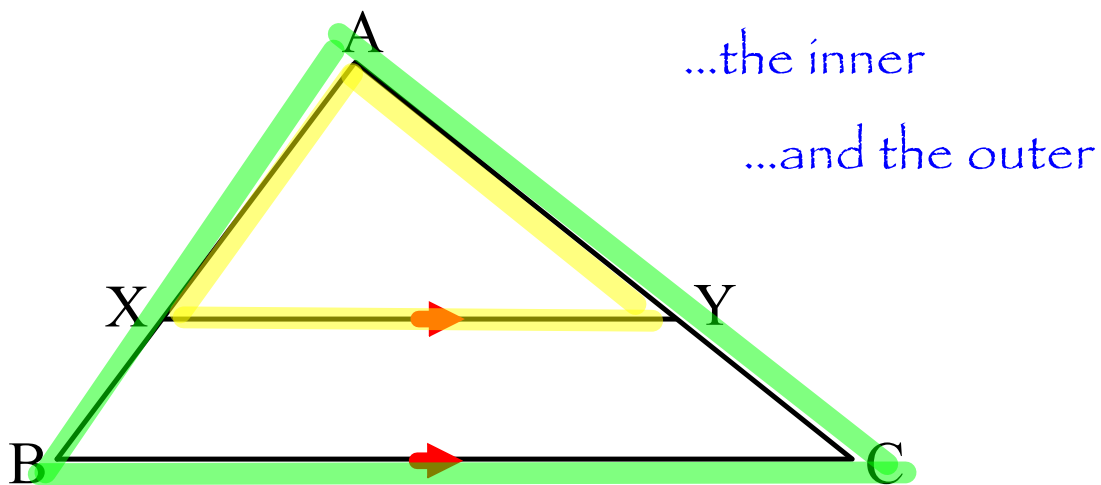
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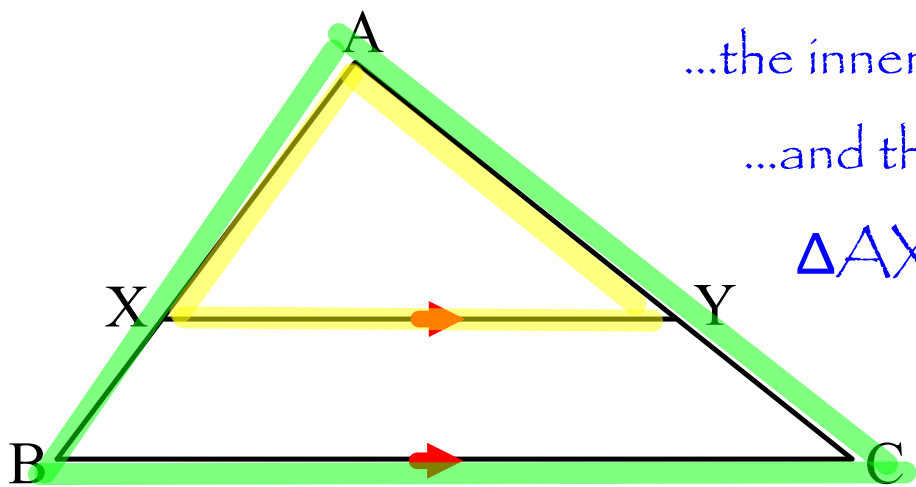
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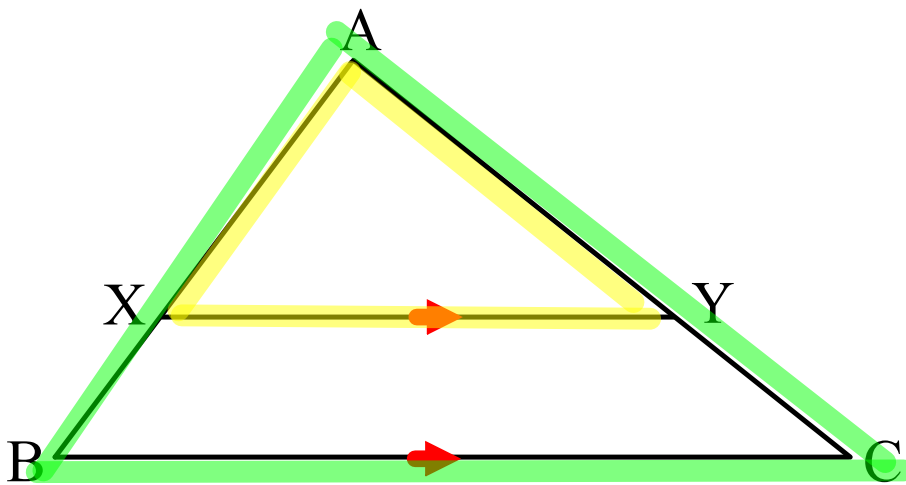
...the inner

...and the outer

$$\Delta AXY \sim \Delta ABC$$

Theorem 8-4: Side-Splitter Theorem

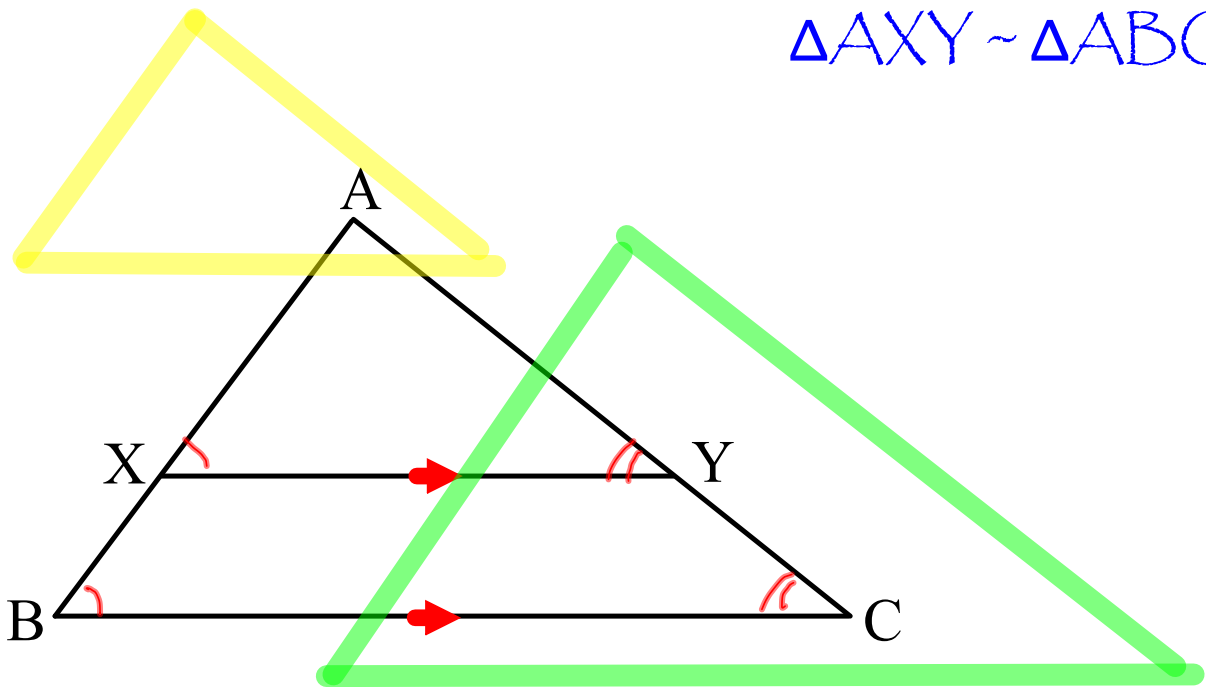
...divides \triangle into 2 proportional \triangle 's. ...the inner
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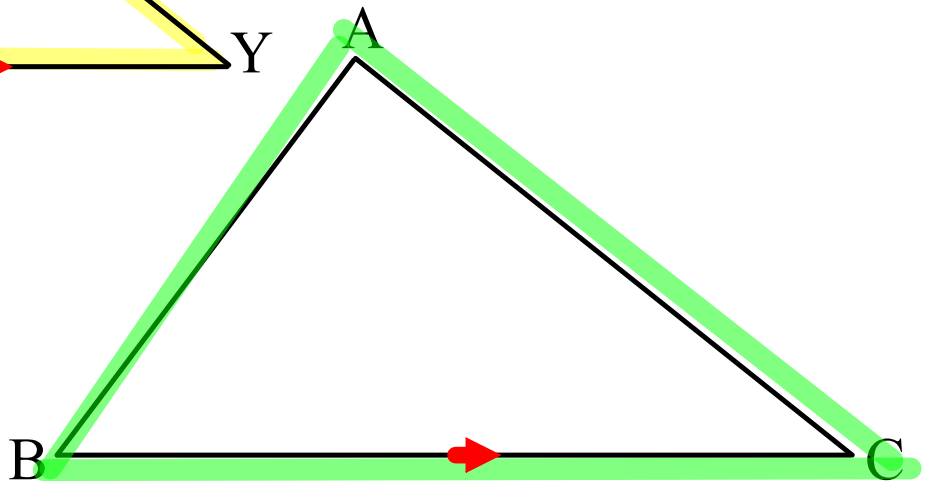
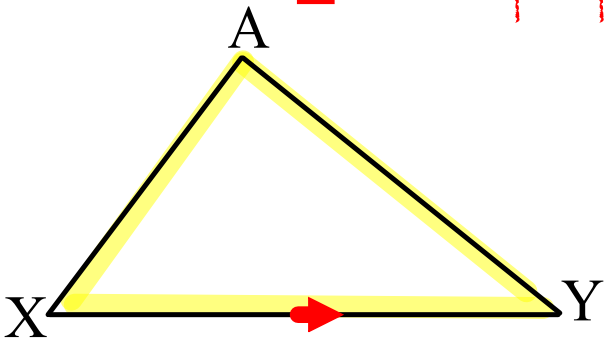
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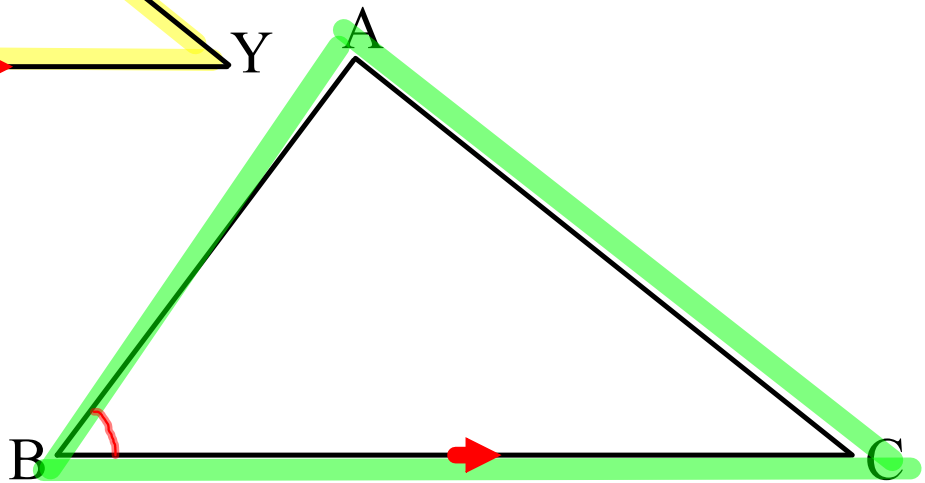
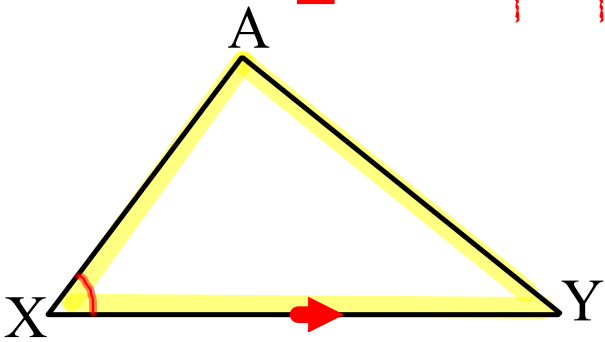
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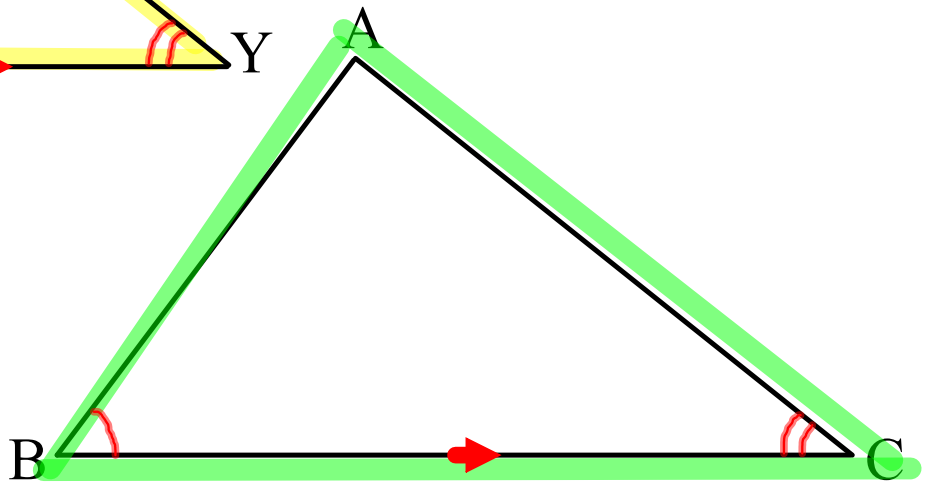
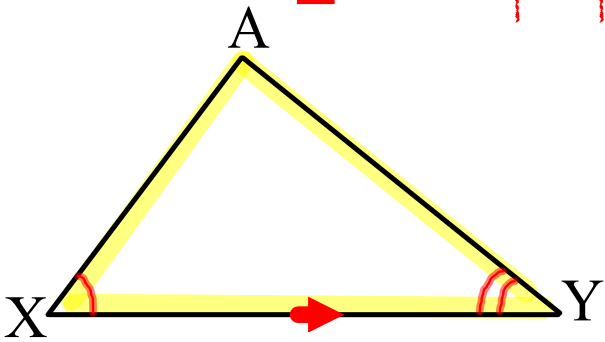
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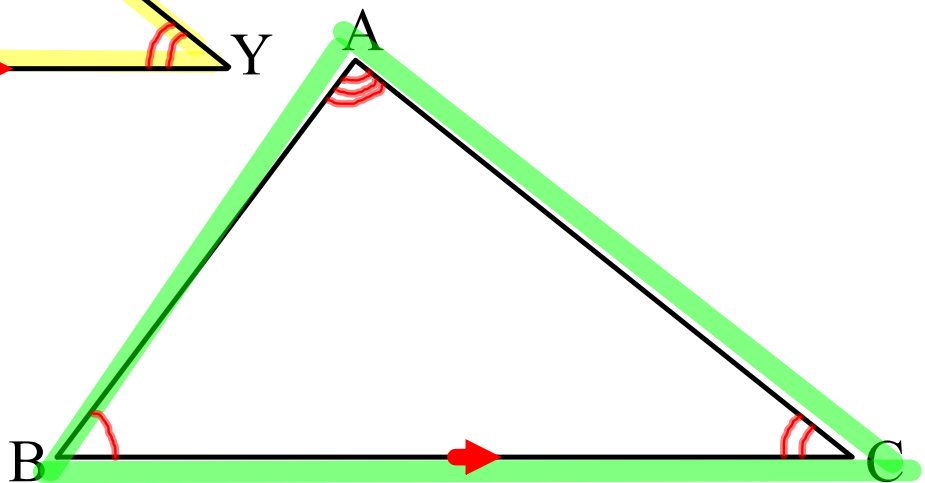
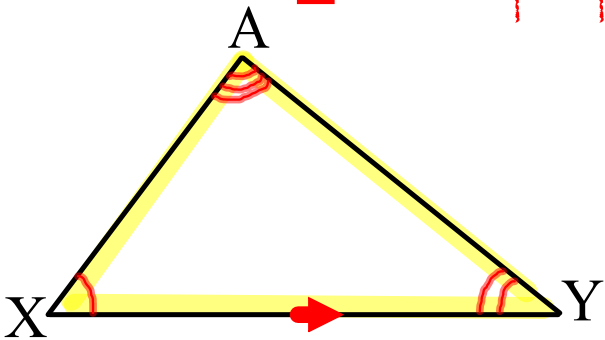
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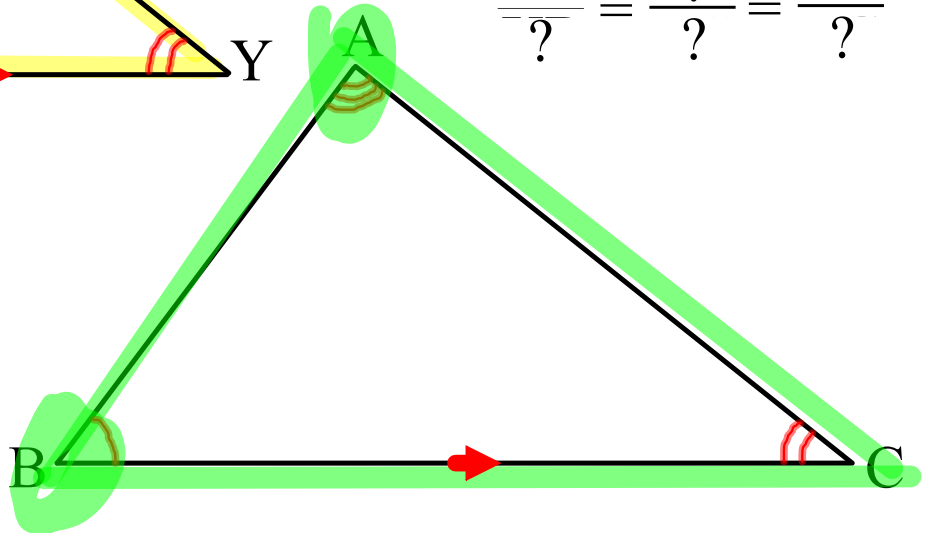
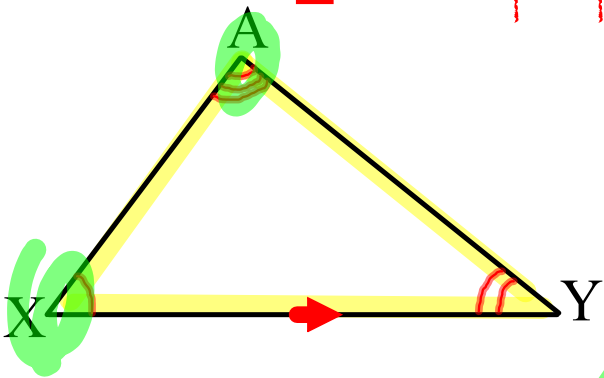


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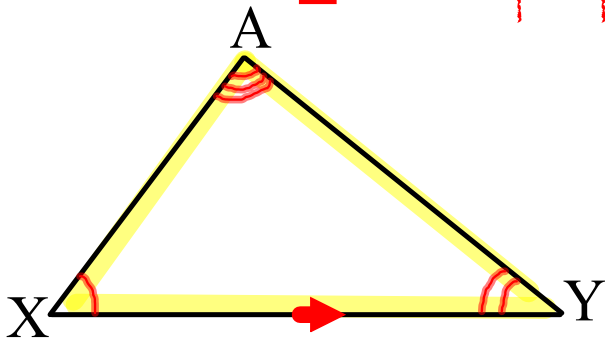
$$\frac{?}{?} = \frac{?}{?} = \frac{?}{?}$$



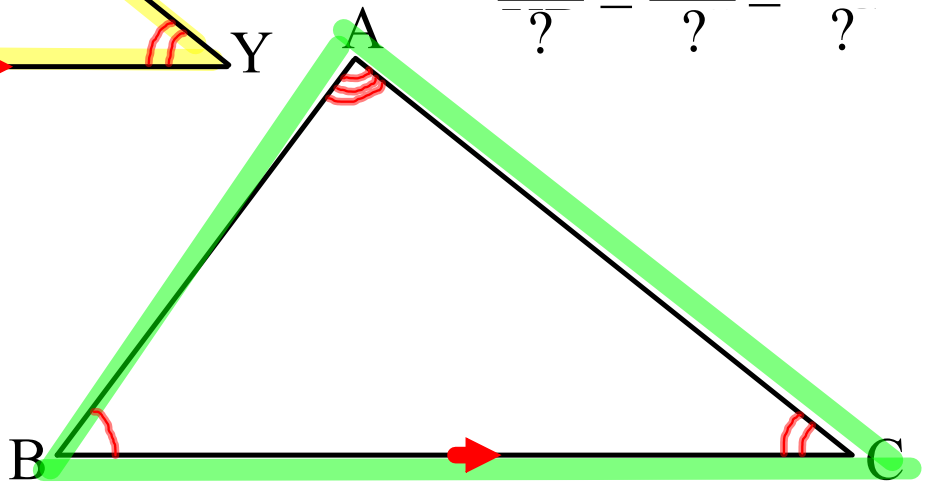
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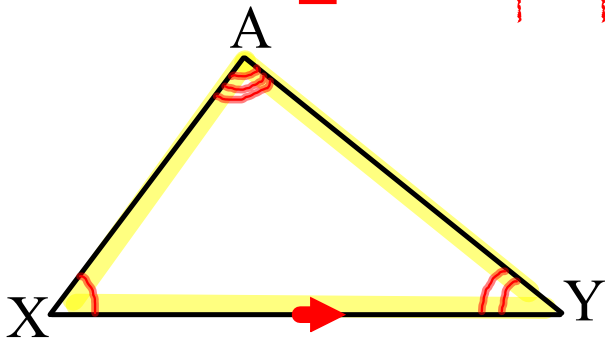
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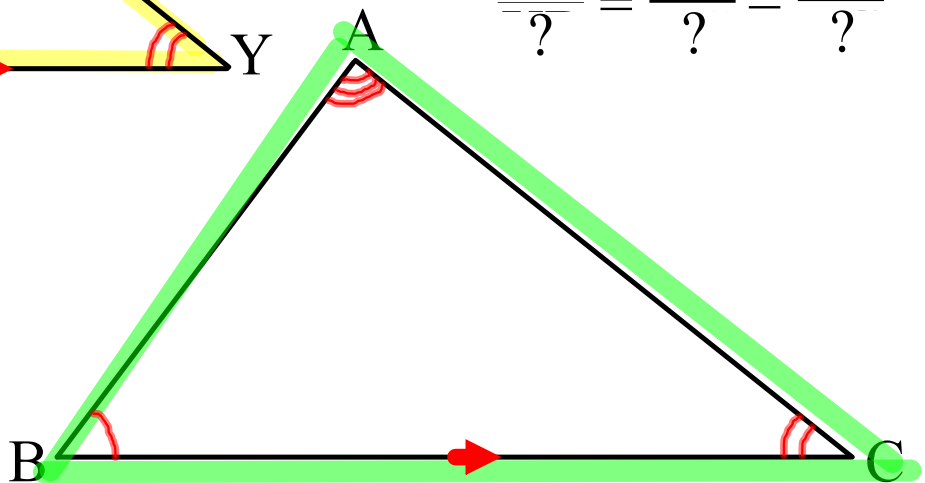
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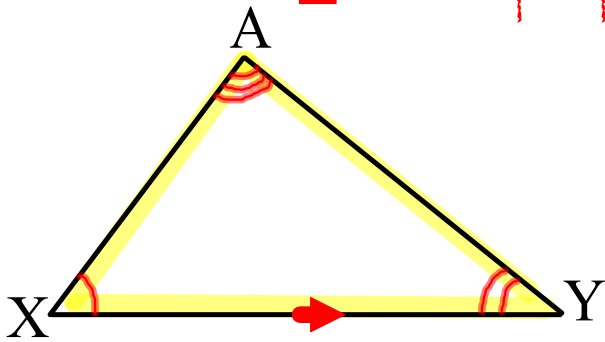
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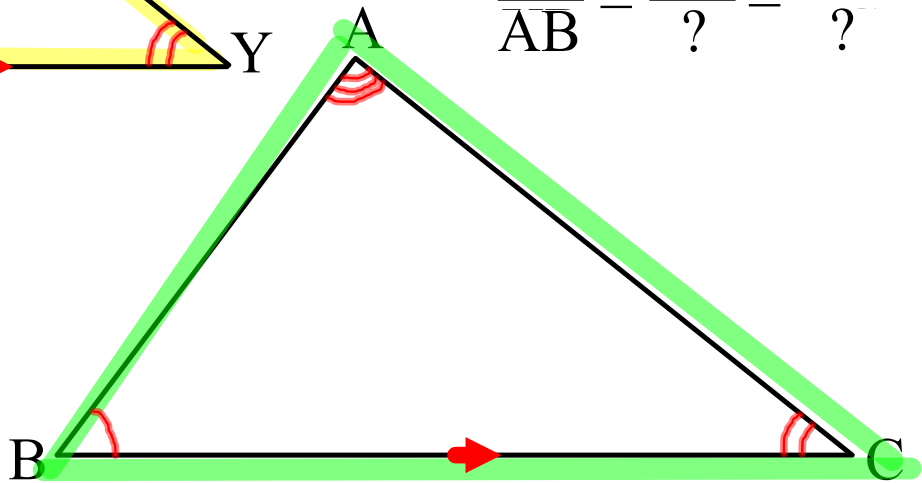
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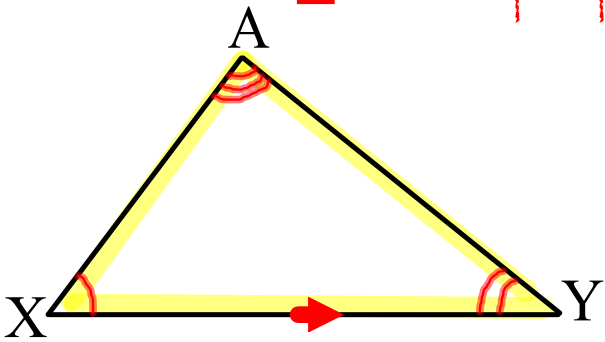
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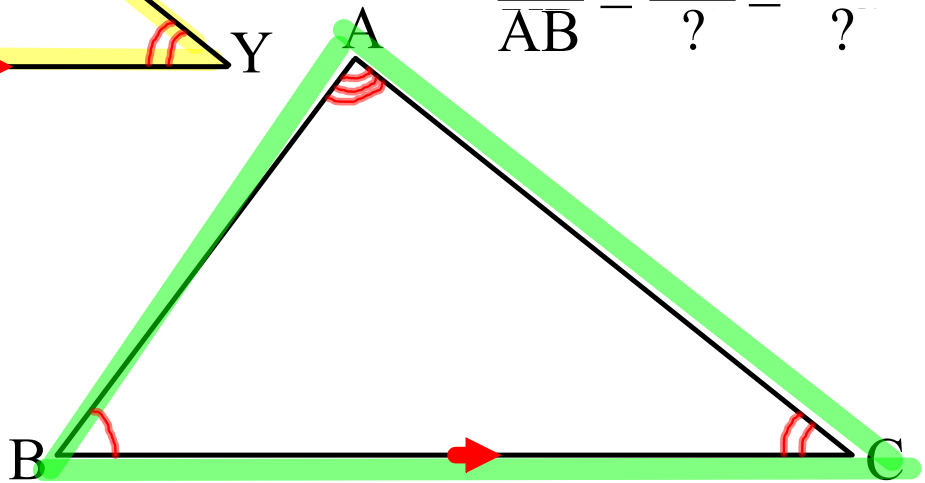
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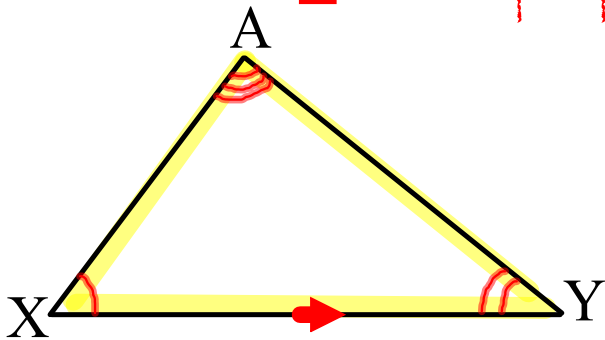
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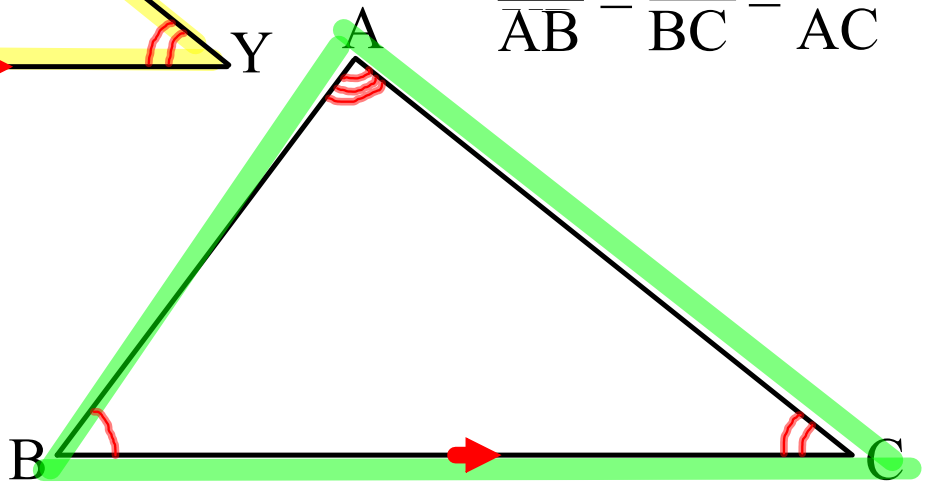
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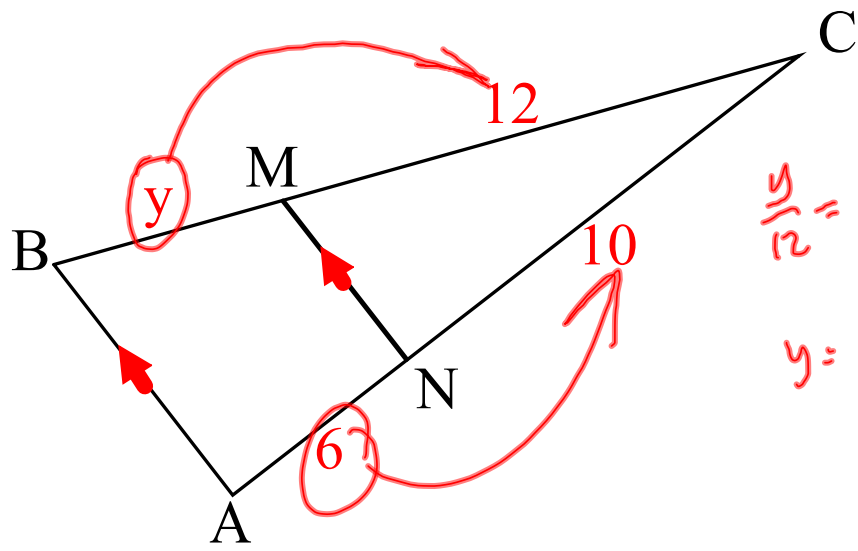
$$\frac{AX}{AB} = \frac{XY}{BC} = \frac{AY}{AC}$$



Side-Splitter Example



1) Find y .



$$\frac{y}{12} = \frac{6}{10}$$
$$y = \frac{12 \cdot 6}{10} = \frac{36}{5}$$
$$= 7.2$$

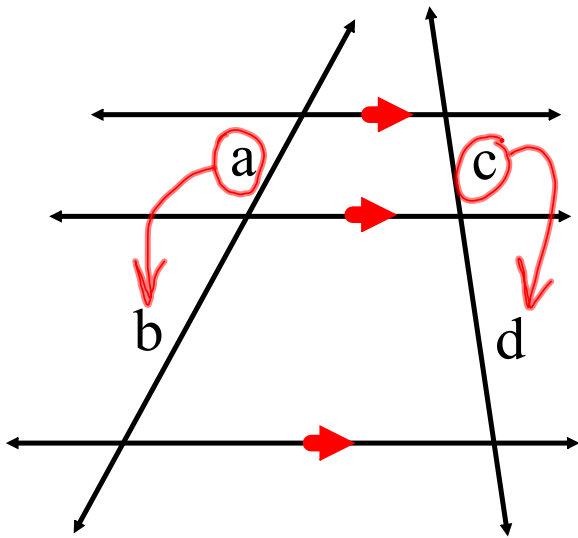
1

Corollary to Thm 8-4

If 3 \parallel lines intersect 2 transversals
then the transversal segments formed
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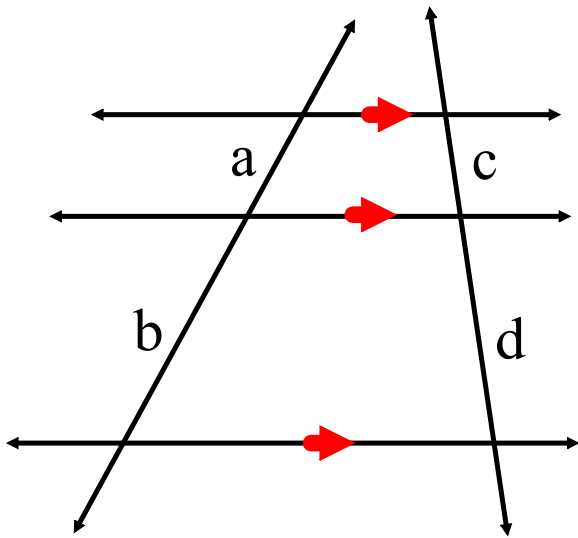
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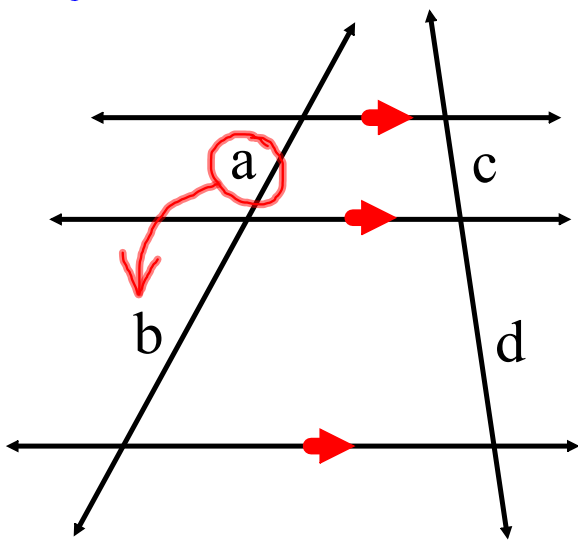
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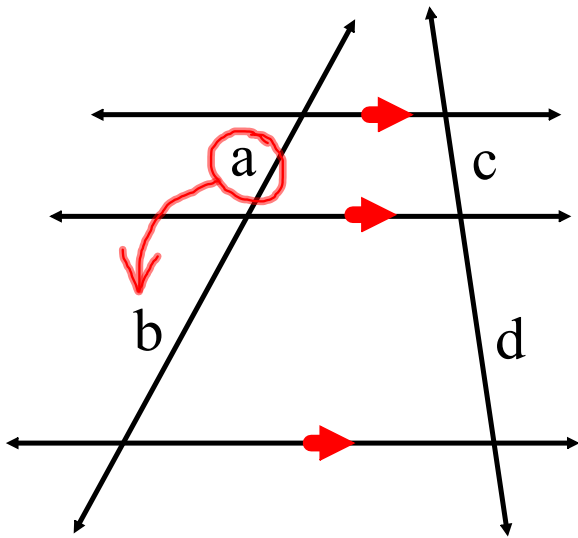
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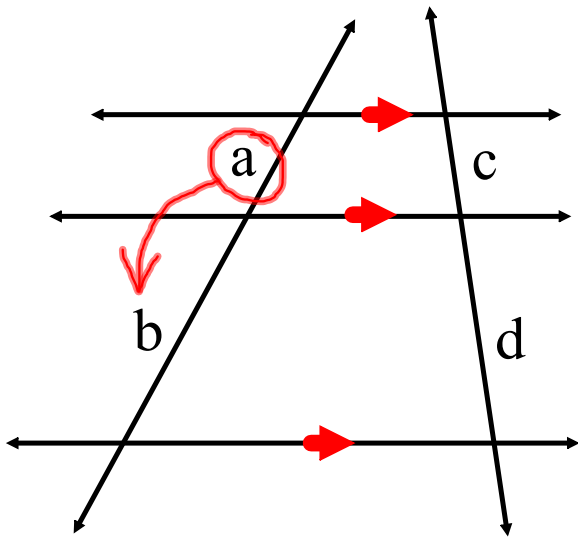
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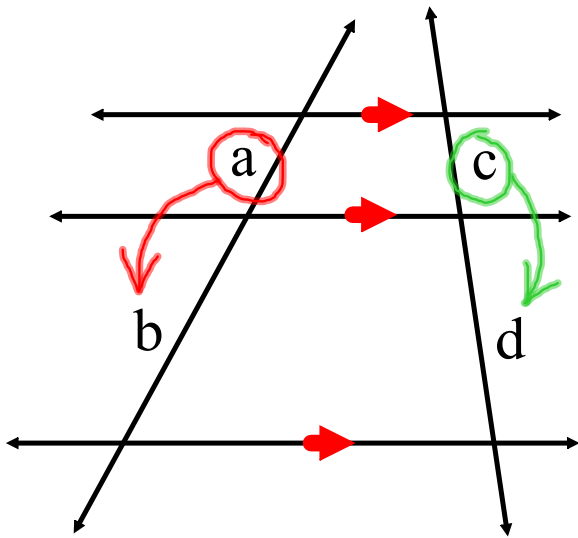
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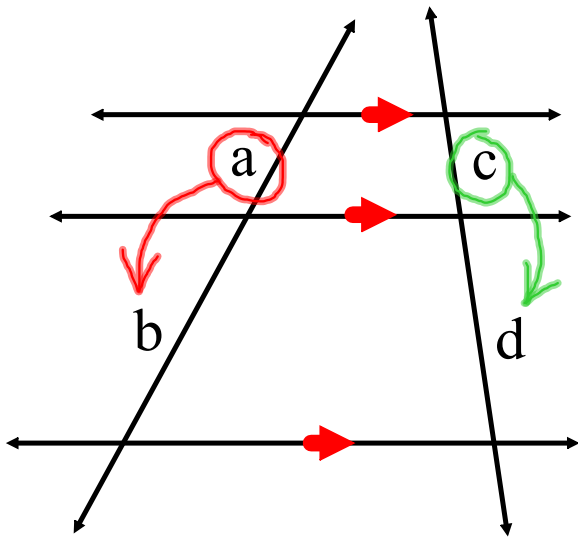
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Questions

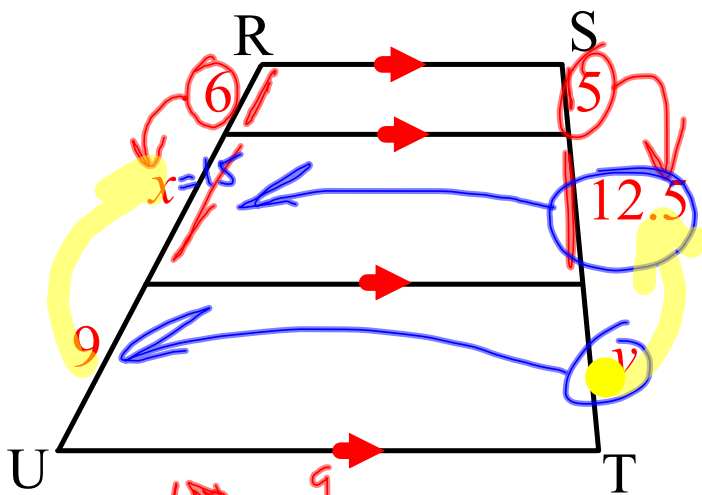
Next

1 Solve for x:



Example for Corollary to Thm 8-4

- 1) Solve for x:
- 2) Solve for y:



2

$$\frac{y}{12.5} = \frac{9}{15}$$

swap

$$\frac{12.5}{15} = \frac{y}{9}$$

$$\frac{15y}{15} = \frac{112.5}{15}$$

$$y = 7.5$$

$$\frac{6}{x} = \frac{5}{12.5}$$

$$\frac{50}{125} = \frac{2}{5}$$

$$\frac{6}{x} = \frac{2}{5}$$

$$\frac{30}{2} = \frac{2x}{2}$$

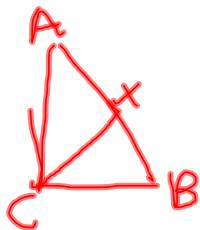
$$x = 15$$

back

Thm 8-5: Triangle-Angle-Bisector Theorem

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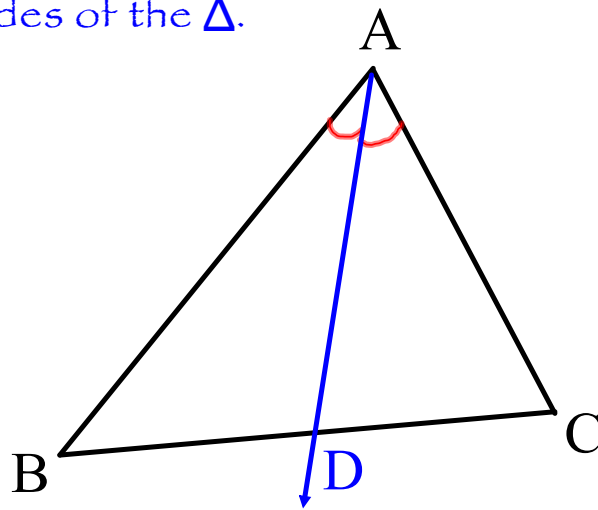


$$\frac{AX}{AC} = \frac{XB}{BC}$$

$$\frac{AX}{XB} = \frac{AC}{CB}$$

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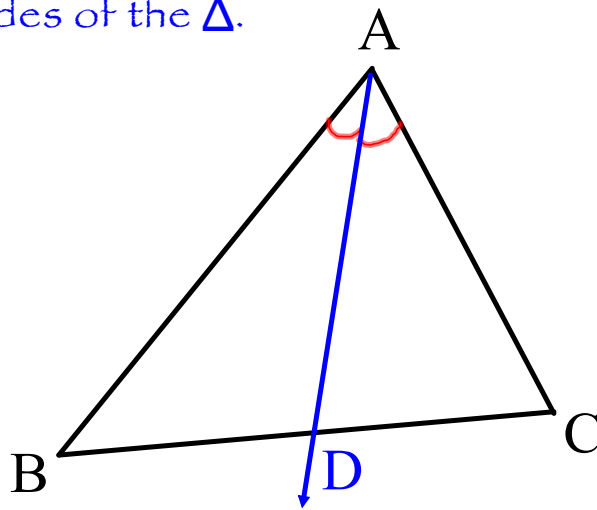
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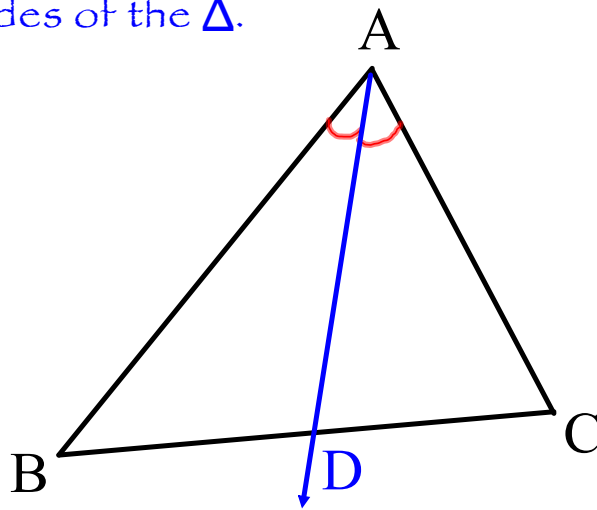
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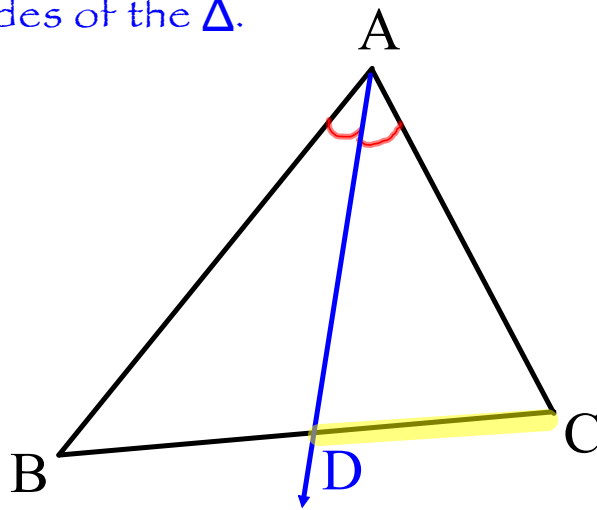
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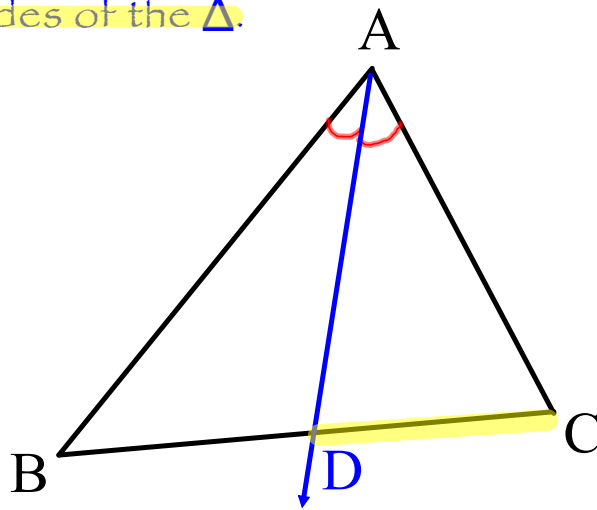
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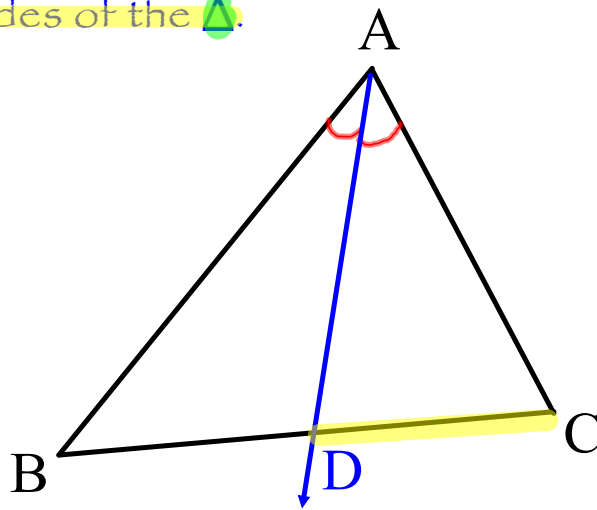
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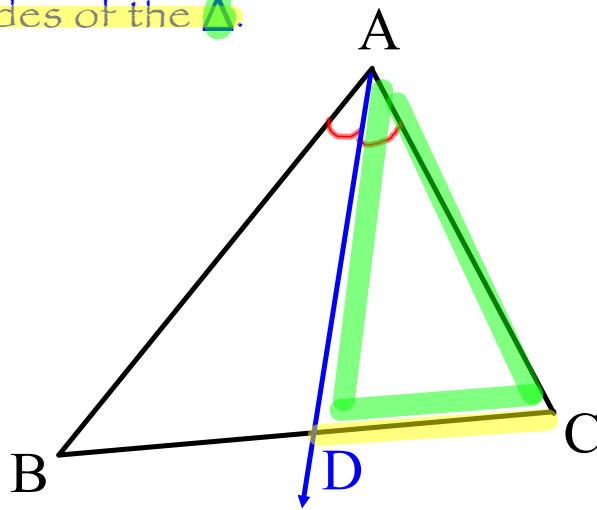
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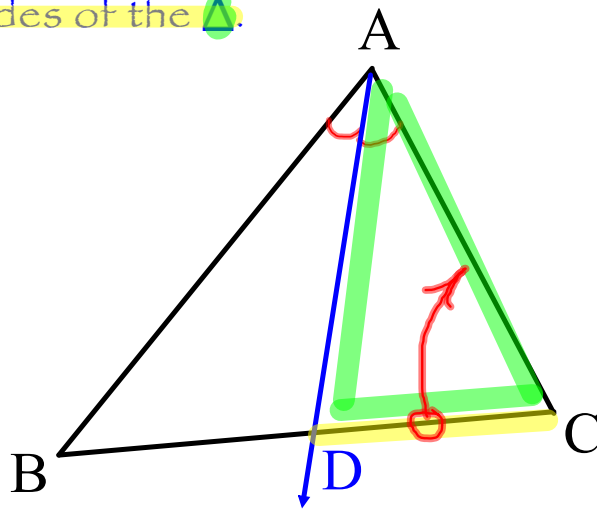
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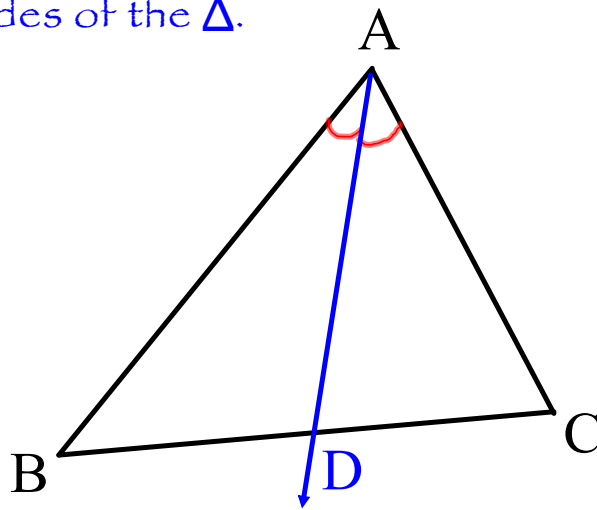
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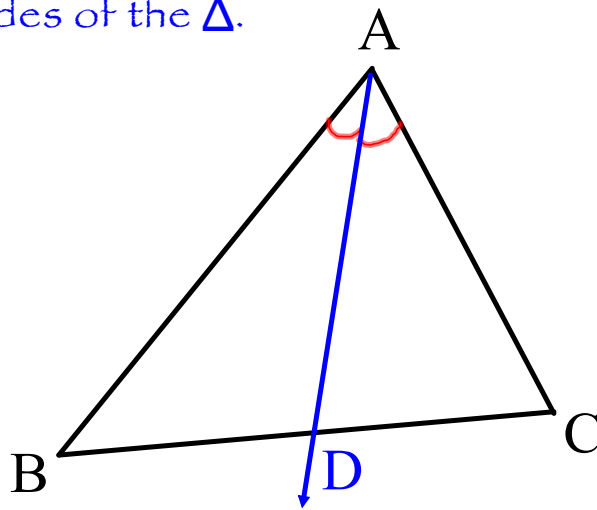
$$\frac{CD}{CA} = \frac{?}{?}$$



Thm 8-5: Triangle-Angle-Bisector Theorem

If a ray bisects an \angle of a Δ ,
then it divides the opposite side
into 2 segments that are proportional
to the 2 other sides of the Δ .

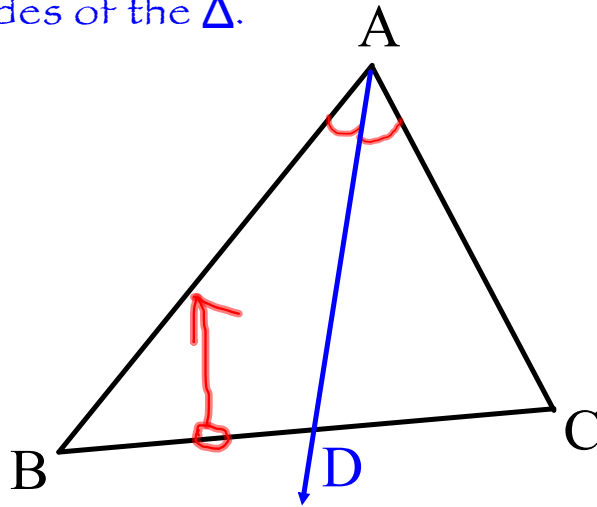
$$\frac{CD}{CA} = \frac{BD}{BA} ?$$



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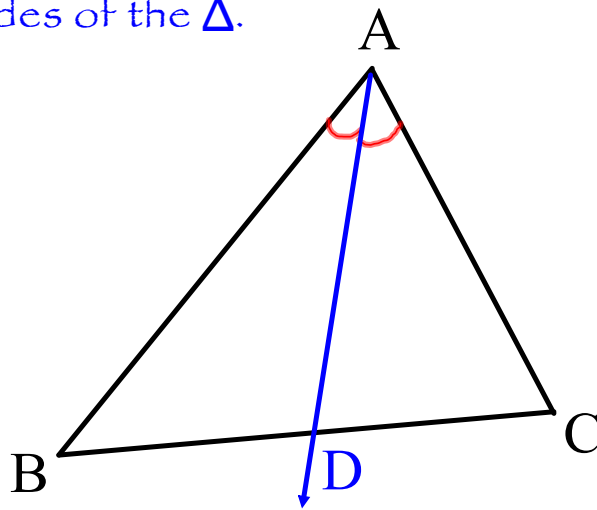
$$\frac{CD}{CA} = \frac{BD}{BA} ?$$



Thm 8-5: Triangle-Angle-Bisector Theorem

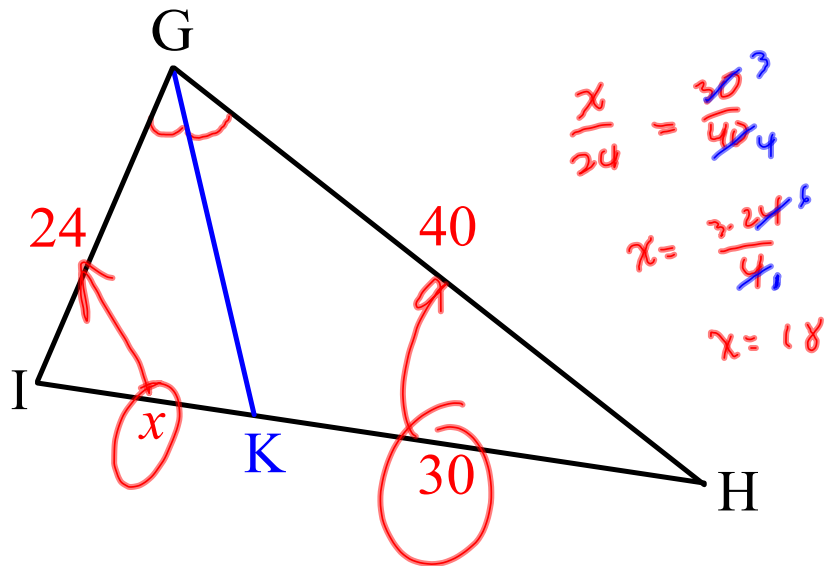
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$$\frac{CD}{CA} = \frac{BD}{BA}$$



Example for Δ - \angle -Bisector Thm

4) Find x:



2

L8-5 Homework Problems

Pg 448 #1-16, 25-27, 29, 31-33, 36, 48-50

